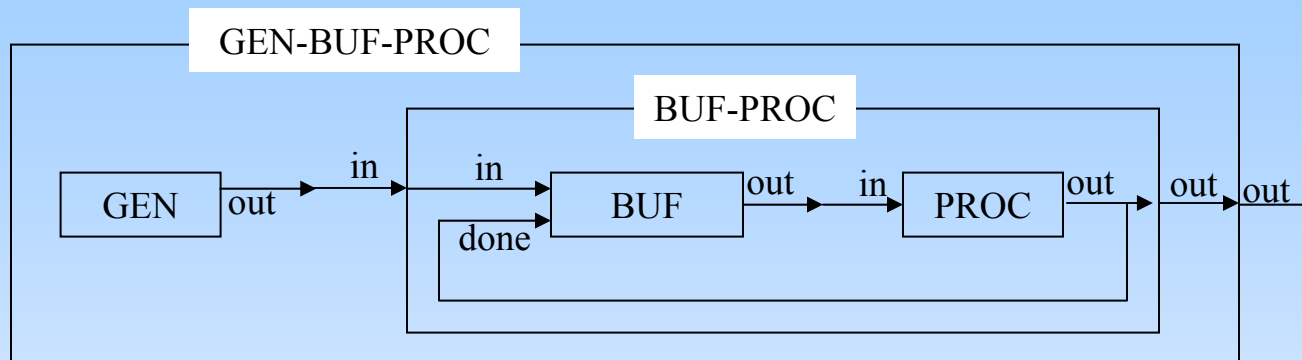


DEVS Modeling Example: GBP

1



◆ GEN-BUF-PROC: overall coupled model

❖ Informal description

- Imagine a bank to deposit money
- Customers arrive, wait at BUF(line) and get service at PROC(teller)

❖ GEN: generation of customers

❖ BUF+PROC: coupled model

- BUF: waiting line for PROC to be free
- PROC: provide service for each customer

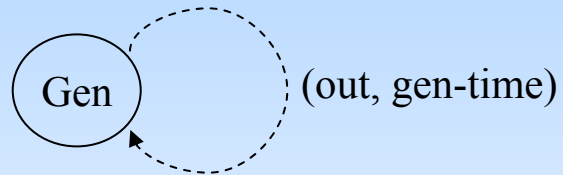
★ Note: Generality of GBP Model

- ❖ PROC: CPU, Teller, Router, Traffic Controller

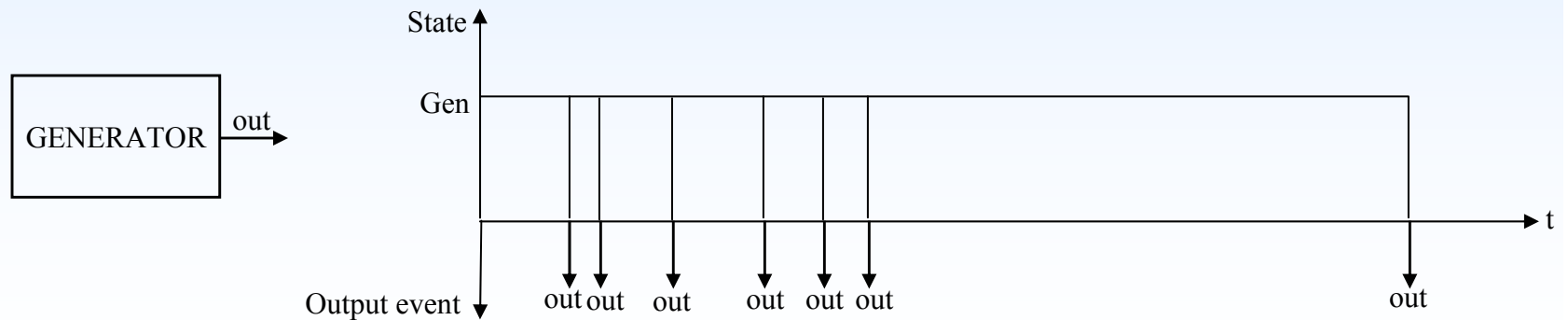
Atomic Model - GEN

❖ $GEN = \langle S, X, Y, \delta_{int}, \delta_{ext}, \lambda, ta \rangle$

- X, δ_{ext} : not defined
- $Y = \{ out \}$
- $S = \{ Gen \}$



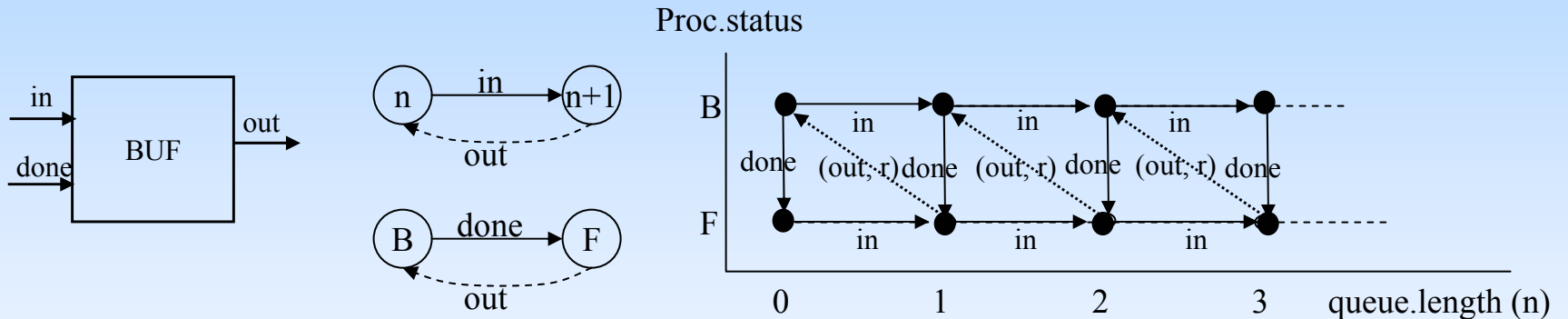
- $ta(Gen) = \text{gen-time (random number)}$
- $\delta_{int}((Gen, ta(Gen))) = (Gen, 0)$
- $\lambda((Gen, ta(Gen))) = out$



Atomic Model - BUF

❖ $BUF = \langle S, X, Y, \delta_{int}, \delta_{ext}, \lambda, ta \rangle$

- $X = \{ in, done \}$
- $Y = \{ out \}$
- $S = \{ (n, proc.status) \mid n \in [0 \dots maxlength], proc.status \in \{Busy, Free\} \}$

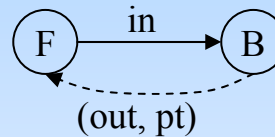
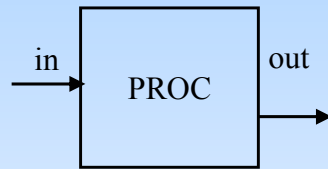


- $ta((n \neq 0, F)) = ta_{old} - e$ if continuation of existing schedule;
 = sending-time (random number) otherwise
- $ta((n=0, -) \text{ or } (-, B)) = \infty$ (waiting for an input)
- $\delta_{int}((n \neq 0, F), ta(s)) = ((n-1, B), 0)$
- $\delta_{ext}((n, -), e, x) = ((n+1, -), 0)$; $\delta_{ext}((n, B), \infty, done) = ((n, F), 0)$;
- $\lambda((n \neq 0, F), ta((n \neq 0, F))) = out$

Atomic Model – PROC

❖ PROC = $\langle S, X, Y, \delta_{\text{int}}, \delta_{\text{ext}}, \lambda, \text{ta} \rangle$

- $X = \{ \text{in} \}$
- $Y = \{ \text{out} \}$
- $S = \{ \text{Busy}, \text{Free} \}$



- $\text{ta}(B) = \text{processing-time (random number)} ; \text{ta}(F) = \infty$
- $\delta_{\text{int}}((B, \text{ta}(B)) = (F, 0)$
- $\delta_{\text{ext}}((F, e), x) = (B, 0);$
- $\lambda((B, \text{ta}(B)) = \text{out}$

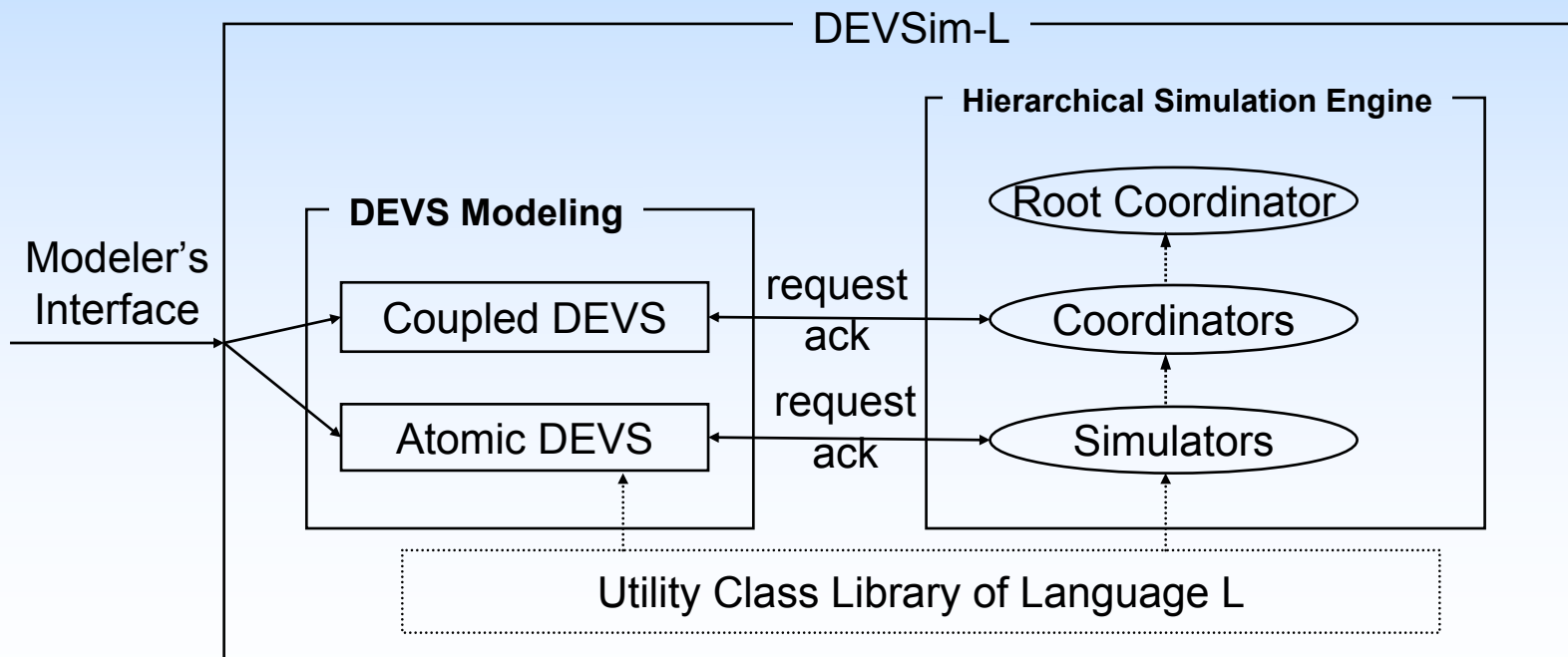
◆ GBP (GEN+BUF+PROC)

- ❖ $BP = \langle X, Y, \{Mi\}, EIC, EOC, IC, sel \rangle$
 - $X = \{in\}$
 - $Y = \{out\}$
 - $\{Mi\} = \{BUF, PRO\}$
 - $EIC = \{(BP.in, BUF.in)\}$
 - $EOC = \{(PROC.out, BP.out)\}$
 - $IC = \{(BUF.out, PROC.in) (PROC.out, BUF.done)\}$
 - $sel(\{BUF, PROC\}) = PROC$
- ❖ $GBP = \langle X, Y, \{Mi\}, EIC, EOC, IC, sel \rangle$
 - $X = \{\}$
 - $Y = \{out\}$
 - $\{Mi\} = \{GEN, BP\}$
 - $EIC = \{\}$
 - $EOC = \{(BP.out, GBP.out)\}$
 - $IC = \{(GEN.out, BP.in)\}$
 - $sel(\{GEN, BP\}) = GEN$

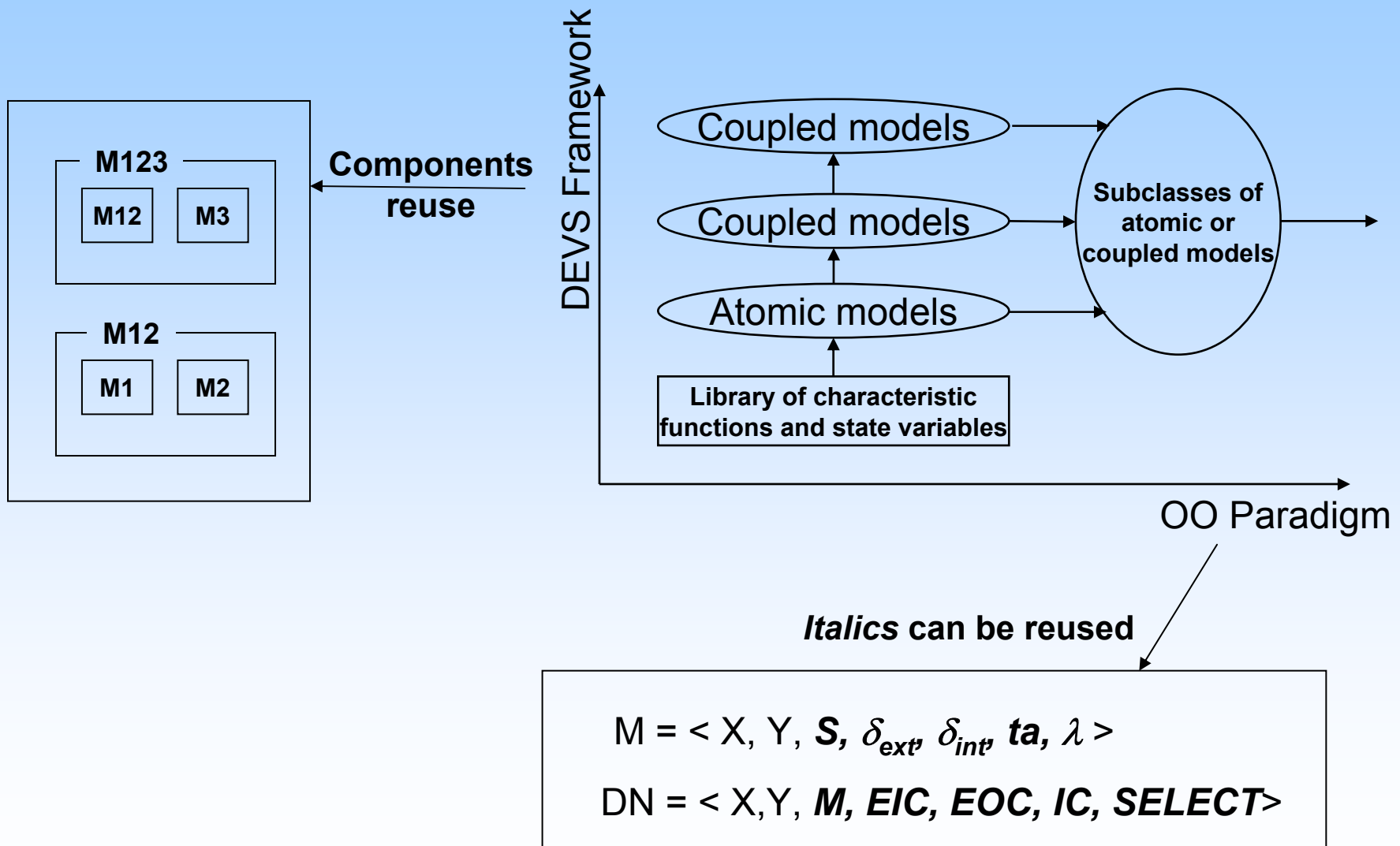
DEVS M&S Environment with Language L: DEVSim-L

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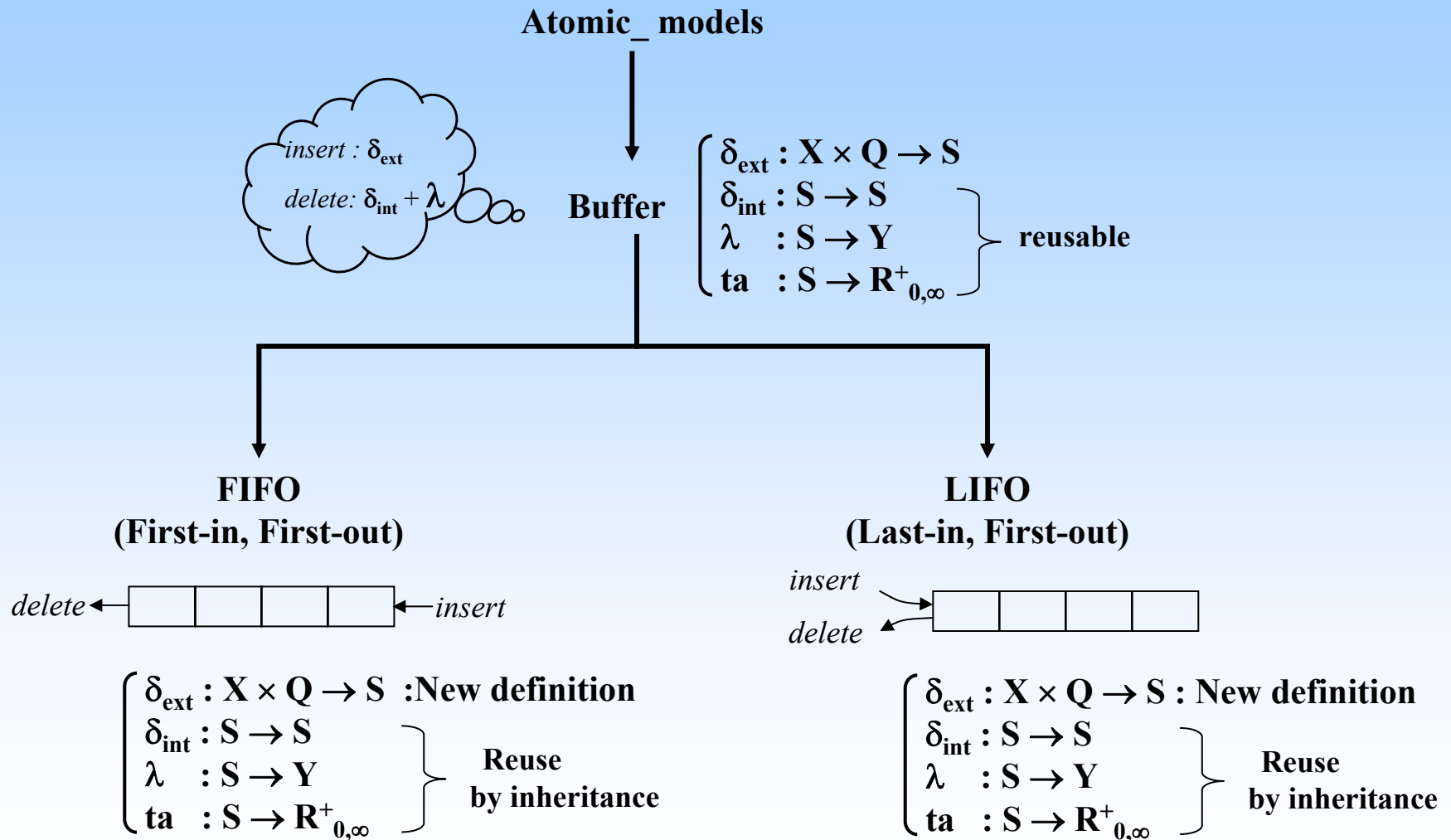
- ◆ Discrete Event System Modeling/Simulation Tool
- ◆ Realization of the DEVS formalism in C++ / Java
- ◆ DEVS Formalism and Object-oriented Paradigm
- ◆ Separating Models from Simulation Engine
- ◆ DEVSim++ (C++); DEVSimJava (Java); DEVSimHLA (HLA)



Two Dimensional Reuse in DEVSim-L (L: OOP Lang.)



Reuse Through Inheritance: Subclass of Atomic DEVS



DEVSIM++ Code : Buffer, FIFO, LIFO

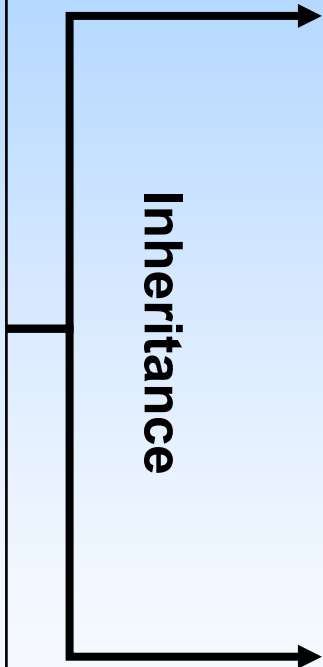
```
class Buffer : public CAtomic
{
    ...
};

virtual Buffer::ExtTransFn(const CMessage
&message)
{
    ...
}

bool Buffer::IntTransFn()
{
    ...
}

bool Buffer::OutputFn(CMessage &message)
{
    ...
}

TimeType Buffer::TimeAdvanceFn()
{
    ...
}
```



```
class FIFO : public Buffer
{
    ...
};

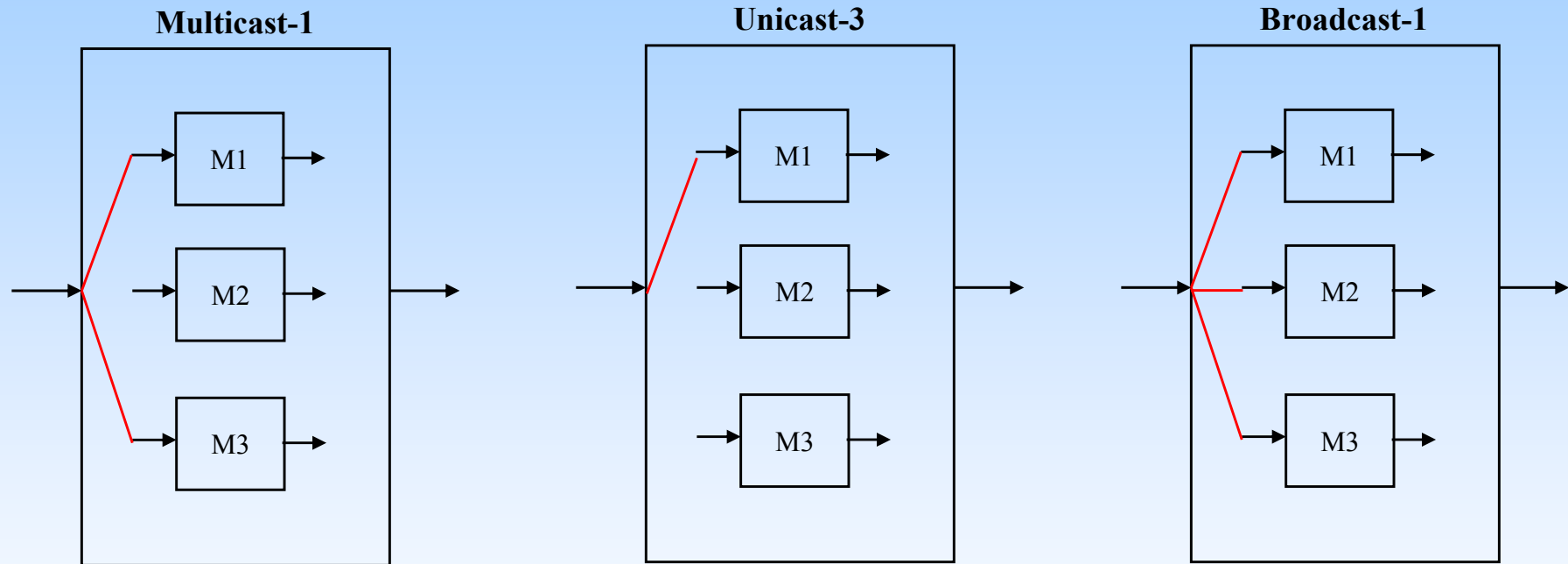
bool FIFO::ExtTransFn(const Cmessage &message)
{
    ...
}
```

```
class LIFO : public Buffer
{
    ...
};

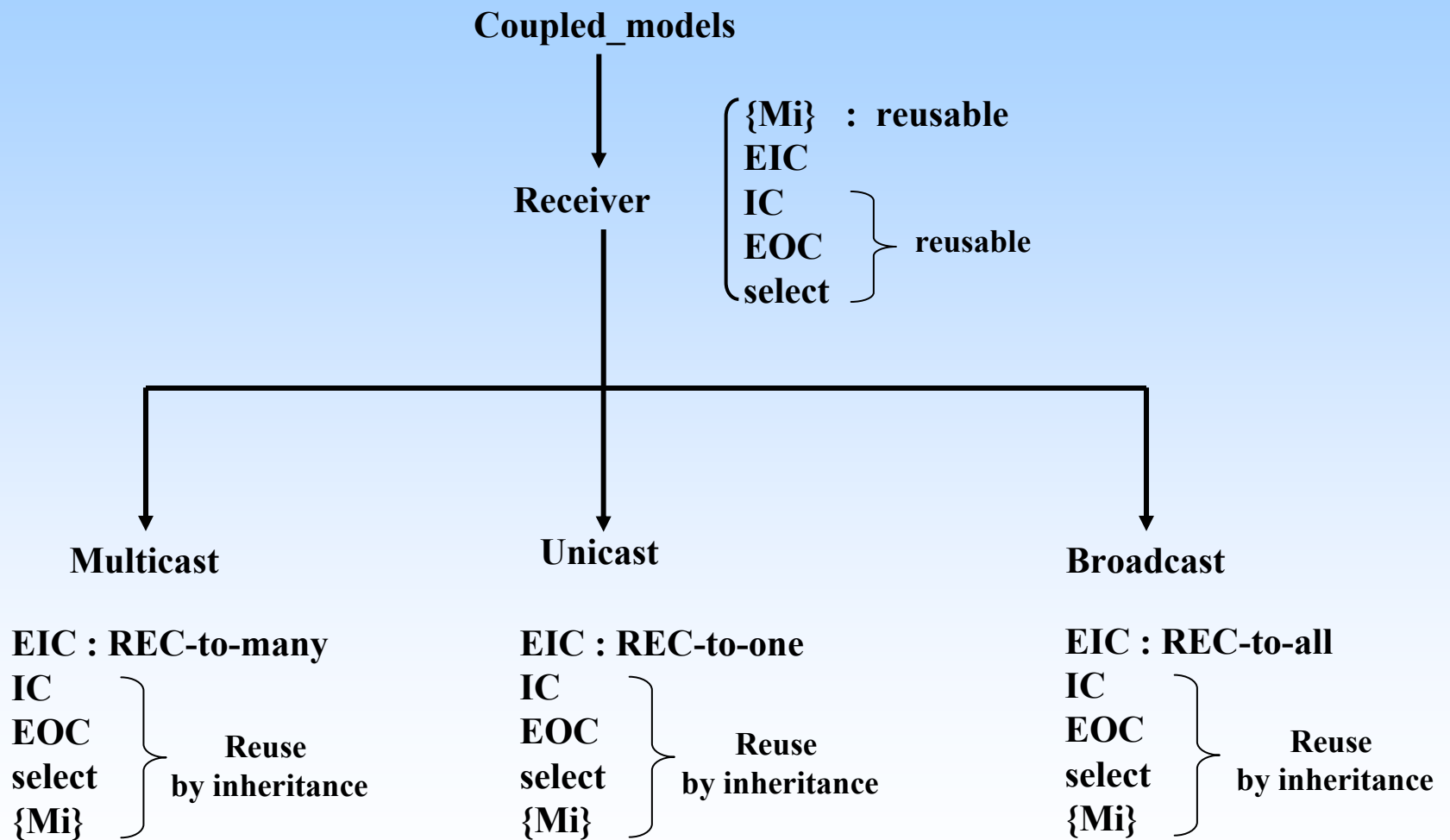
bool LIFO::ExtTransFn(const CMessage &message)
{
    ...
}
```

Reuse Through Inheritance: Subclass of Coupled DEVS

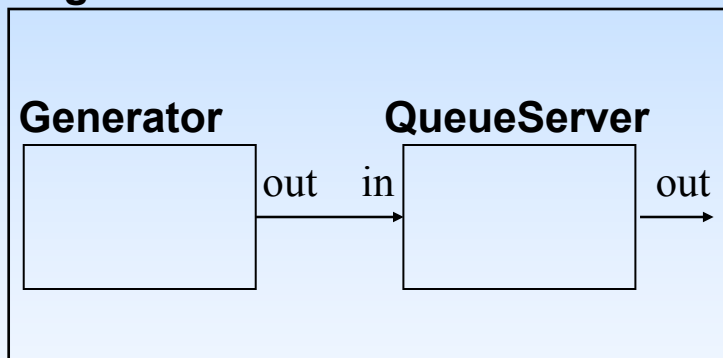
10



Example of Subclass of Coupled Models



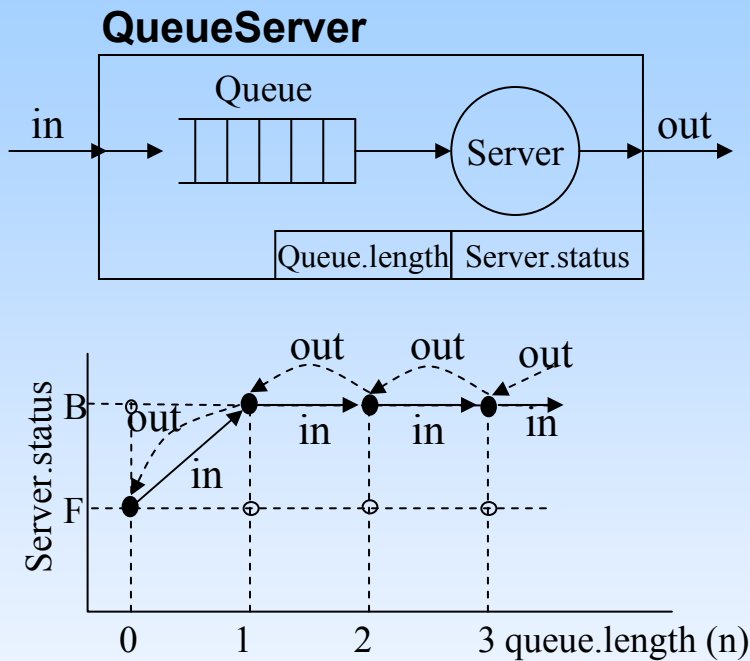
SingleSeverQueue



```
class SingleSeverQueue : public CCoupled
{
public:
    SingleSverQueue();
    ~SingleServerQueue();
};

SingleServerQueue::SingleServerQueue()
{
    CModel *Gen, *QueSer;
    Gen = new Generator;
    QueSer = new QueueServer;
    AddComponent(2, Gen, QueSer);
    SetPriority(2, Gen, QueSer);
    AddCoupling(Gen, "out", QueSer, "in");
}

.
.
.
```



```

bool QueueServer::OutputFn(CMessage &message)
{
    if(!IsState(length, 0))
        message.SetPortValue(out, NULL);
    return true;
}

TimeType QueueServer::TimeAdvanceFn()
{
    if(IsState(length, 0))
        return Service_Time;
    else return Infinity;
}
    
```

$X = \{in\}$
 $Y = \{out\}$
 $S = \{(length, status) \mid length \in I, status \in \{B, F\}\}$
 $\delta_{ext}((n \neq 0, -), in) = (n+1, -)$
 $\delta_{ext}((0, F), in) = (1, B)$
 $\delta_{int}((n \neq 1, B)) = (n-1, B)$
 $\delta_{int}((n=1, B)) = (0, F)$
 $\lambda((n \neq 0, -)) = out$
 $ta((n \neq 0, -)) = Service_time$